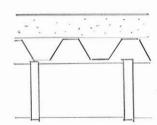
SITUATION: The cross-section of a roof is to be made of the materials shown.

SKETCH:



Single-ply waterproofing
3" Polystyrene Foam Insulation
2.5" Metal Deck

6" Mechanical Duct

OBJECTIVE: Determine the unfactored dead load pressure for the

ASSUMPTIONS:

- The mechanical duct allowance adequately represents the self-weight of this 6" duct.

CALCULATIONS:

From Table on Dead Load Pressures of Common Construction Materials,

Single-ply waterproofing 0.7 psf 30N/m²

Palystyrene foam (0.2psf/in)(3in) = 0.6 psf (10N/m²/in)(3in) = 30N/m²

Metal deck, 18 gage 3.0 psf 140N/m²

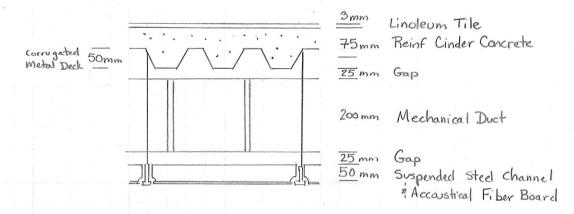
Mechanical duct allowance 4.0 psf 190 N/m²

\[\begin{align*}
\text{Z} = 8.3 psf \end{align*}

PD= 8.3psf = 390 Nm2

SITUATION: The cross-section of a floor is to be made of the materials shown.

SKETCH:



OBJECTIVE: Determine the unfactored dead load pressure for the floor cross-section

ASSUMPTIONS:

- The mechanical duct allowance adequately represents the self-weight of this 200mm duct.

CALCUL ATIONS:

From Table on Dead Load Pressures of Common Construction Matls and Table on Densities of Common Construction Matls

Linoleum or asphalt tile, V4 in (6mm) 50 N/m²

For 3mm thick, Linearly scale \$25 N/m²

Reinforced Cinder Concrete 17 kN/m³ (75mm) (7000mm) (1275 N/m²

Mechanical duct allowance 190 N/m²

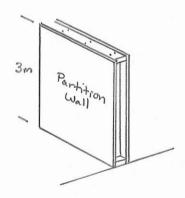
Suspended steel channel system 100 N/m²

1590 N/m²

PD = 1590 Nm2 = 33.25 psf

SITUATION: A partition wall is to be made of gypsum on both sides of wood studs.

SKETCH:



OBJECTIVE: Determine the unfactored line load generated by the self-weight of the partition wall.

CALCULATIONSS

From Table on Dead Load of Common Construction Materials (components)

Frame partitions - wood or steel studes, zin gypsum each side p= 380 N/m²

Note: p is force/unit of wall surface

Convert to line load

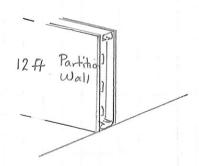
W = p × height = 380 Nm2 (3m)

= 1140 Nm

WD = 1.140 KN/m

SITUATION: A partition wall is to be made of gypsum on both sides of metal studs

SKETCH:



OBJECTIVE: Determine the unfactored line load generated by the self-weight of the partition wall

CALCULATIONS:

From Table on Dead Load of Common Construction Materials (components):

Frame partitions - Wood or steel studs, ½ in gypsum each side $p = 8 \, \text{psf}$ NOTE: p is force/unit wall surface

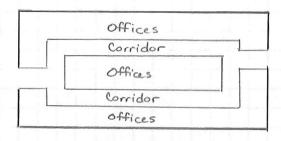
Convert to line load

w = p × height = 8psf (12A)
= 96 plf

SITUATION:

Floor layout for an office building has offices around two corridors. The interior walls, partitions, are likely to be moved over time.

SKETCH:



OBJECTIVES:

a) Determine the minimum unfactored live loads for offices and corridors.

b) Propose a way to deal with corridors moving over time.

SOLUTION:

a) Minimum unfactored live loads:

Offices = 50 psf = 2.40 kN/m² Corridors = 80 psf = 3.83 kN/m²

b) How cleal with changing corridor locations:

Option: Design entire floor for highest live load, corridor.

- Might have significant cost implications

Option: Design all individual members for highest live load, corridor.

Design floor system for a weighted average live load. Since corridors will take less space than offices,

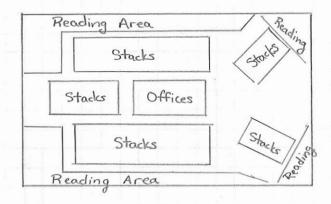
0.25(80psf) + 0.75(50psf) = 57.5psf

0.25(2.40kN/m²) + 0.75(3.83kN/m²) = 3.47 kN/m²

SAMPADI

Floor layout for a library has offices, stack areas, reading areas, and corridors. The areas will likely be rearranged over SITUATION: time.

SKETCH:



OBJECTIVES:

a) Determine the minimum unfactored live loads for

offices, stack areas, reading areas, and corridors.
b) Propose a way to deal with areas rearranging over time.

SOLUTION:

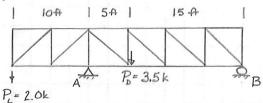
a) Minimum unfactored live loads:

= 50psf = $2.40 kN/m^2$ = 150psf = $7.18 kN/m^2$ = 60psf = $2.87 kN/m^2$ Offices Reading Corridor = 80psf = 3.83 kN/m2

b) How deal with possibility of rearranging areas: Option: Design entire floor for highest live load ... stacks - might have significant cost implications

Option. Design all individual members for highest live Toad - Stacks Design floor system for a weighted average of the two highest loads: stacks and corridors. For example, 0.75 (150psf) + 0.25(80psf) = 132 psf 0,75 (7,18 kN/m2)+0,25(3,83 kN/m2) = 6.34 kN/m2 SITUATION: A truss will carry live load over the edge of a roof.

SKETCH:



OBJECTI VES:

- a) Find the design vertical reactions at A, up and down.
- b) Find the design vertical reactions at B, up and down.

CALCULATIONS:

Dead load reactions

$$+2\sum M_B = 0 = A_{yp}(204) - 3.5k(154)$$

 $A_{yp} = +2.62k (+1)$

Live load reactions

a) Design vertical reactions at A

Both are positive, so use combinations that maximize both

Comb 1: Agu = 1.4AyD = 1.4(2.62k) = +3.67k (+1)

Comb 2: Ayu = 1.2 Ayo + 1.6 Ayı = 1.2 (2.62k) + 1.6 (3.0k) = +7.94 K (+1)

Summary:

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b) Design vertical reactions at B
Positive:

maximize dead since positive, minimize live since negative Comb 1: Byu = 1.4 Byo = 1.4 (0.88k) = +1.23k(+1)

Comb 2: By u= 1.2 By 0 + O By = 1.2(0.88k) + O(-1.0k) =+1.06k(+1)

Negative:

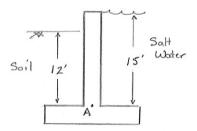
minimize dead since positive, maximize live since negative

Comb 2: Byu = 1.2 Byp + 1.6 ByL = 1.2(0.88k) + 1.6(-1.0k) = -0.54k(47)

But dead might be less than anticipated Comb 2a' Byu = 0.9 Byb + 1.6 ByL = 0.9(0.88 K)+1.6 (-1.0 K) = -0.8 [k(+1)]

Summary: Byu = 1.23 k (+1) Byu = -0.81k (+1) SITUATION: A concrete retaining wall is used for a dolphin tank at a new 200. The wall extends above the soil a few feet.

SKETCH:



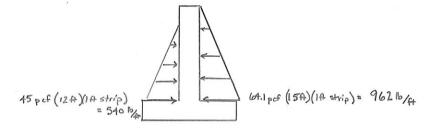
OBJECTIVE: Determine the peak design moments (2 and 5) at the base of the wall, A.

ASSUMPTIONS:

- Hydrostatic soil pressur is 45 pcf
- Hydrostatic pressure of salt water is 61.1 pcf

CALCULATIONS:

For a 1A wide strip,



Design Moment, Ma:

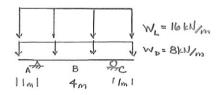
Fluid loads are combined with D in load combinations Soil loads have a fector range of 0.9 to 1.6 if permanent, or 0 to 1.6 if might be removed

Considerations:

- -Tank sometimes emptied, so factor on F can be zero
- Excavation of soil (e.g. for repairs) is possible, but can specify that tank is emptied before excavating. So no need to consider H removed while Facting

SITUATION: A reinforced concrete beam is simply supported but overhangs the supports on both sides.

SKETCH:



OBJECTIVE:

Determine the design (maximum factored and combined value) moments, positive and negative, at midspan B.

ASSUMPTION:

The self wt of the concrete is uniform, so ignore the possibility of heavier dead load in some areas.

CALCULATIONS:

Dead load:

Live load: Break live load into two patches because each causes different sign on MB

Find reaction:
\$25Mc=0= Ay (4m) - 16kN/m (4m)(2m)
$$A_y^L = +32kN (+1)$$

Find reaction:

$$D \ge M_c = 0 = A_y^{L_2} (4m) + 16 kN_m (1m)(0.5m)$$

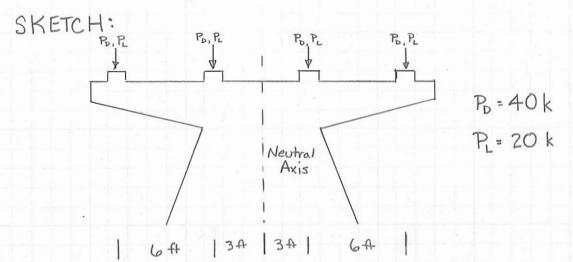
 $-16 kN_m (1m)(4.5m)$
 $A_y^{L_2} = +16 kN (+1)$

Find moment:
12 \(\text{Mou} = 0 = 16kN(zm) - 16kN_m(lm)(2.5m) - MB \)
$$M_B^{L2} = -8kNm (5+7)$$

Combinations:
$$Comb1: M_B^u = 1.4 M_B^D = 1.4 (12 k N m) = 16.8 k N m$$
 $Comb2: M_B^u = 1.2 M_B^D + 1.6 (M_B^L + M_B^L) = 1.2 (12 k N m) + 1.6 (32 k N m - 81 k N m) = 52.8 k N m$
 $Consider only L + hat causes + M$
 $Comb Za: M_B^u = 1.2 M_B^D + 1.6 M_B^L = 1.2 (12 k N m) + 1.6 (32 k N m) = 65.6 k N m$
 $Comb Zb: M_B^u = 1.2 M_B^D + 1.6 M_B^L = 1.2 (12 k N m) + 1.6 (-8 k N m) = 1.6 k N m$
 $Comb Zb: M_B^u = 1.2 M_B^D + 1.6 M_B^L = 0.9 (12 k N m) + 1.6 (-8 k N m) = -2.0 k N m$
 $Comb Zc: M_B^u = 0.9 M_B^D + 1.6 M_B^L = 0.9 (12 k N m) + 1.6 (-8 k N m) = -2.0 k N m$

Design Moments:

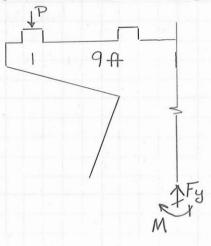
SITUATION: A pier carrys four girders for a highway overpass.



OBJECTIVE: Using the ASCE 7 load factors and combinations, determine the design vertical force and design moment.

CALCULATIONS:

Unfactored effect of one outer load

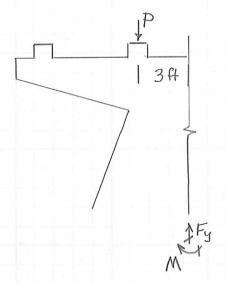


+
$$\uparrow \Sigma F_y = 0 = F_y - P$$

 $F_y = P$
 $F_y = 40k (+1)$
 $F_y = 20k (+1)$

$$2 \ge M_{base} = 0 = M - P(94)$$
 $M = P(94)$
 $M^{D} = 40k(94) = 360k \cdot 4(2)$
 $M^{L} = 20k(94) = 180k \cdot 4(2)$

Unfactored effect of one inner load



Vertical reaction

All applied loads cause upward reaction, so maximize effects of the applied loads to maximize the upward reaction.

⇒ Apply all live loads Use largest load factors

Comb 1: $F_y^{\mu} = 1.4(\Sigma F_y^{\nu}) = 1.4(40k + 40k + 40k + 40k)$ = 224k

Comb 2: $F_y^u = 1.2(\Sigma F_y^0) + 1.6(\Sigma F_y^1)$ = 1.2 (40k + 40k + 40k + 40k) + 1.6 (20k + 20k + 20k + 20k) = 320k

Largest governs $F_y^u = 320k$

Moment reaction Left side loads create clockwise moment; right side loads create caunterclockwise moment.

Since live load can act anywhere, max moment will occur when live load is only on one side

Comb 2: $M^{u} = 1.2(\Sigma M^{D}) + 1.6(\Sigma M_{kf}^{L})$ = 1.2(360kf + 120kf - 120kf - 360kf) +1.6(180kf + 60kf) = 0 + 384kft = 384kft

Dead load might not be the same for each girder. Worst case would be heavy on one side & light on the other.

Comb 2a: $M^{u} = 1.2(\Xi M_{left}^{p}) + 0.9(\Xi M_{right}^{p}) + 1.6(\Xi M_{left}^{L})$ = 1.2(360kf + 120kf) + 0.9(-120kf - 360kf) + 1.6(180kf + 60lf) = 576kf - 432kf + 384kf = 528kff

Largest governs

:. M" = 528kft

SITUATION: A concrete beam - column connection was cast with notches on two sides. The beam is

continuous over the column.

SKETCH:

ELEVATION

IDEALIZATION: Pinned connection between continuous beam and column

SITUATION: Two pieces of bridge girder are spliced together

SKETCH :

(most common)

OR

PLAN VIEW

IDEALIZATION: Rigid connection (also called splice in this situation)

SITUATION: A reinforced concrete column has two corbels.
On each corbel sits a girder on an elastomeric pad that allows expansion and contraction of the girder.

SK ETCHES:

0 0

ELEVATION

PLAN

IDEALIZATION: Roller connection

Problem 1.16 Solu	tion		×	
SITUATION:	A rocking element	supports a	bridge girder.	
SKETCH:				
	<u> </u>			
IDEALIZATI	ON: Roller support			
-				

SITUATION: A steel column is attached to a concrete pillar with bolts around the entire steel member perimeter.

SKETCHES: Concrete as Support

Concrete as Another Column



ELEVATION

ELEVATION

IDEALIZATIONS:

Fixed Support

Rigid Connection

DISCUSSION:

If the concrete pillar is much stiffer than the steel column, the deformation of the concrete is much smaller than the steel member. In that case, we can consider the concrete to be immovable: fixed support.

If we are unsure of the relative stiffness or if we want to consider the deformation of the concrete, consider this to be a connection: rigid.

SITUATION: A railroad brigde girder rests on a support anchored to the concrete abutment.

SKETCH:

ELEVATION

IDEALIZATION: Pin support

SITUATION: A short, rounded element supports a bridge girder

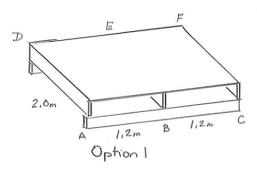
SKETCH:

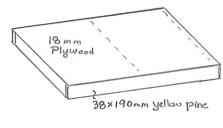
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IDEALIZATION: Pin support

- slightly rounded top allows rotation - short block anchored to concrete pier restrains horizontal movement SITUATION: We are designing a platform for a theatrical stage. Two structural configurations are being considered.

SKETCHES:





Option 2

OBJECTIVES:

For each structural configuration option,

- a) Draw the idealized live loads on beam BE and girder ABC
- b) Draw the idealized dead loads on beam BE and girder ABC

ASSUMPTIONS:

- a) Floor diaphragm is much more flexible out of plane than the supporting beams , girders
- b) Load goes to the nearest supporting member

CALCULATIONS:

O) Live Load

Since this is part of a theatrical stage,

PL = 7.18 kN/m² (from Live Load Pressure table)

Option 1:

